Numbers

- opposite numbers; the absolute value
- integers (positives & negatives); whole numbers (0, 1, 2, ...)
- fractions $\frac{1}{10}$, $\frac{a}{b}$ reads 'one tenth', 'a over b' key words: mixed numbers $5\frac{3}{4}$, reduce a fraction
- decimal numbers
 - 0.56 reads 'oh / zero point fifty-six (hundredths)'
 - $.333\overline{3}$ reads 'zero point three repeating'
 - key words: round to the nearest tenth / to one decimal place
- the reciprocal of b is $\frac{1}{b}$, ratio a:b reads 'a to b', percent
- surds / irrational numbers
- number line; infinity

Arithmetic Operations

- a<b reads 'a is less than b' or 'b is greater than a'
- a=b reads 'a is equal to b'
- addition a+b reads 'a plus b' or 'the **sum** of a and b'
- subtraction a-b reads 'a minus b' or 'the **difference** of a and b'
- multiplication $a \cdot b$, $a \times b$, a(b) reads 'a times b' or 'the **product** of a and b'
- division $a \div b$ reads 'a divided by b' or 'the **quotient** of a and b'

Arithmetic Operations

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powers
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a^b reads 'a to the power of b' or 'a to the b-th power' a^2, b^3 reads 'a squared', 'b cubed'
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roots

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\sqrt[a]{b} reads 'the a-th root of b' \sqrt[3]{a}, \sqrt[3]{b} reads 'the square root of a', 'the cube root of b'
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Algebra

variable / unknown x

$$\frac{(a+b)^2}{3c} \cdot \frac{c}{a+b}$$

expression

key words: simplify, expand, cancel out, evaluate

equation

$$x+14 = 2y-3x$$

key words: solve for *x*, combine like terms, transfer, substitute

- inequality
- system of equations / inequalities
- solution

key words: set, (in)valid, excluded values, infinitely many, check

Order of Operations

Deal with grouping symbols (parentheses or square brackets):

- 1. Work separately above and below any fraction bar.
- 2.Use the rules within each set of grouping symbols. Start with the innermost set and work outward.

If no grouping symbols are present:

- 1. Apply all exponents.
- 2.Do any multiplications or divisions in the order in which they occur, working from left to right.
- 3.Do any additions or subtractions in the order in which they occur, working from left to right.

Properties of Operations

Associative property

$$(a+b)+c = a+(b+c)$$

 $a\times(b\times c) = (a\times b)\times c$

• Distributive property

$$a(b+c) = ab+ac$$

key words: expand the bracket; factor out *a*

Commutative property

$$a+b = b+a$$
$$xy = yx$$